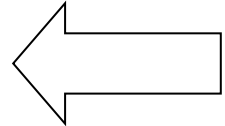
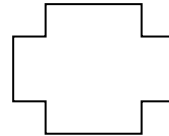
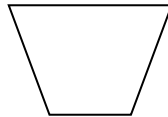
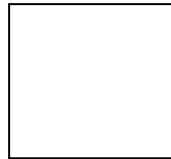


11-5 Polygons

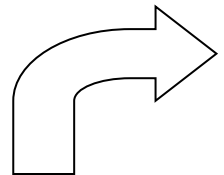
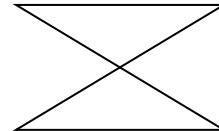
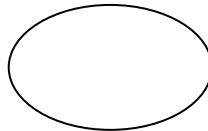
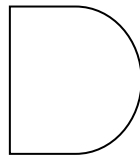
A polygon is:

- 1) Closed figure**
- 2) At least 3 sides**
- 3) All sides are straight**
- 4) Segments meet only at a vertex**
- 5) Only 2 segments meet at a vertex**

Polygons:



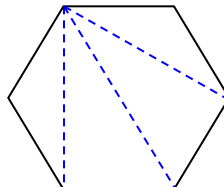
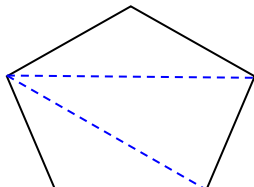
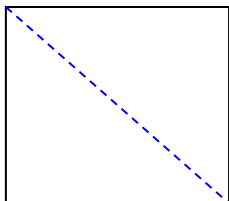
Not Polygons:



POLYGON	NUMBER OF SIDES	POLYGON	NUMBER OF SIDES
Triangle	3	Octagon	8
Quadrilateral	4	Nonagon	9
Pentagon	5	decagon	10
hexagon	6	undecagon	11
Heptagon	7	dodecagon	12

REMEMBER???? **REGULAR polygon** means that all sides and all angles are congruent.

A **diagonal** is a line segment that joins two nonconsecutive vertices in a polygon.



Notice the number of triangles is two less than the number of sides. You can use this relationship to find the sum of the interior angle measures of a polygon.

An **interior angle** is an angle formed at a vertex of a polygon.

Interior Angles of a Polygon	
Words	Symbols
The sum of the degree measures of the interior angles of the polygon is the number of sides – 2 times 180	$180(n - 2)$

Find the sum of the measures of the interior angles of a nonagon.

$$\begin{aligned} S \text{ of } m \text{ of IA} &= 180 (n-2) && \text{formula} \\ &= 180 (9-2) && \text{substitute} \\ &= 180 (7) && \text{simplify} \\ &= 1260^\circ && \text{answer with label} \end{aligned}$$

SHOW STEPS!! SHOW STEPS!! SHOW STEPS!! SHOW STEPS!!

Find the measure of an interior angle of a regular quadrilateral using the formula.

$$\begin{aligned} S \text{ of } m \text{ of IA} &= 180(n-2) \\ &= 180(4-2) \\ &= 180(2) \\ &= 360^\circ \end{aligned}$$

$$\text{So.... } \frac{360}{4} = 90^\circ \quad (\text{total divided by \# of angles})$$

Each angle in a regular quadrilateral is 90°

Polygon	Number of Vertices (n)	Number of triangles	Angle Sum (m)
Triangle	3	1	$1(180) = 180$
Quadrilateral	4	2	$2(180) = 360$
Pentagon	5	3	$3(180) = 540$
Hexagon	6	4	$4(180) = 720$
Heptagon	7	5	$5(180) = 900$
...
decagon	10	8	$8(180) = 1440$
100-gon	100	?	?
<u>n-gon</u>	n	n - 2	$(n - 2)180$